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Absolute shape measurements using high-resolution optoelectronic holography methods

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Abstract. Characterization of surface shape and deformation is of primary importance in a number of testing and metrology applications related to the functionality, performance, and integrity of components. In this paper, a unique, compact, and versatile state-of-the-art fiber-optic-based optoelectronic holography (OEH) methodology is described. This description addresses apparatus and analysis algorithms, especially developed to perform measurements of both absolute surface shape and deformation. The OEH can be arranged in multiple configurations, which include the three-camera, three-illumination, and in-plane speckle correlation setups. With the OEH apparatus and analysis algorithms, absolute shape measurements can be made, using present setup, with spatial resolution and accuracy of better than 30 and 10 μm, respectively, for volumes characterized by a 300-mm length. Optimizing the experimental setup and incorporating equipment, as it becomes available, having superior capabilities to the ones utilized in the present investigations can further increase resolution and accuracy in the measurements. The particular feature of this methodology is its capability to export the measurements data directly into CAD environments for subsequent processing, analysis, and definition of CAD/CAE models. © 2000 Society of Photo-Optical Instrumentation Engineers. [S0091-3286(00)02601-5]

Subject terms: CAD/CAE models; fiber optics; optoelectronic holography; shape and deformation measurements; surface tiling.

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1 Introduction

Characterization of shape and changes in the state of deformation of components is a very important issue in many applications involving concurrent engineering, because these quantities are directly related to the functionality, performance, and integrity of components of interest. Characterization of surface shape can be applied to many areas, which include reverse engineering, quality control, and tribology. Measured shape can be applied to define computer aided design (CAD) models from existing components, so those CAD models can be applied to the computer aided engineering (CAE) analysis or to the manufacturing aspects of existing components. In addition, the measured surface shape can be applied to determine the dimensional accuracy of manufactured components and also to temporally characterize changes in their geometry when subjected to different types of tribological conditions.

Shape and deformation can effectively be determined with quantitative optical techniques, which can provide nondestructive, noninvasive, remote, and full-field-of-view information about the object of interest subjected to realistic loading and boundary conditions. For certain applications, determination of surface shape and deformation using the same experimental setup is required. In addition, it is also required that the experimentally obtained data be compatible with other engineering analysis tools, e.g., CAD/CAE software. In the following sections, a unique fiber-optic-based optoelectronic holography (OEH) system capable of providing 3-D surface shape and deformation data compatible with CAD methodologies is described. The OEH system can be arranged in multiple configurations, which include the three-camera, three-illumination, and in-plane speckle correlation. In particular, the procedures and one specific OEH experimental setup utilized to perform surface shape characterization of components are described herein.

2 Description of the OEH System

OEH has been successfully applied to different fields of nondestructive testing of mechanical components. Being noninvasive and providing qualitative and quantitative full-field information are some of the main advantages of OEH over other experimental techniques. In addition, it requires much less mechanical stability than that required in conventional holographic interferometry. With the OEH, it is possible to perform static and dynamic investigations of mechanical components subjected to a large variety of loading conditions. Furthermore, it is possible to measure the shape of mechanical components using optical contouring. Combination of these capabilities makes the OEH a powerful engineering tool that can be effectively utilized to study and optimize mechanical components. Implementation of recent technological advances in computer and fiber optic technologies to the OEH system has dramatically increased the versatility of the OEH method.
and has added the possibility of using it in on-site investigations in order to study and diagnose problems in industrial environments.

2.1 Experimental Arrangement

Figures 1–3 depict major components of a currently operational OEH system specifically set up to perform high-resolution surface shape and deformation measurements. The light source is an infrared master-oscillator–power-amplifier (MOPA) laser diode (LD) driven by a controller (LDD), with an operational wavelength centered at 994 nm (at 25°C), capability of wavelength tuning by thermoelectric diode stage cooling, and horizontal linearly polarized output (Fig. 1). The output of the LD is directed through a Faraday optical isolator (OI) providing backreflection isolation to −41 dB at 968 nm. The OI provides 47° polarization rotation at 994 nm, and the polarizer on its input side is set to horizontal principal orientation in order to match the main polarization axis of the LD output. After the OI, light is launched into a single-mode fiber optic directional coupler assembly (FA), Fig. 2, by means of a fiber coupler assembly (FCA), which is composed of a GRIN lens, a five-degree-of-freedom stage, and an FC/AP connector port. The main components of the FA are three single-mode fiber optic directional couplers (DC₁, DC₂, DC₃), four piezoelectric cylinders (PZT₁, PZT₂, PZT₃, PZT₄), and FC-connectorized I/Os. Table 1 summarizes major features of the FA, indicating that the OEH setup can be arranged in the following modes, depending on the experimental requirements:

1. one illumination and three reference beams
2. one reference and three illumination beams
3. four illuminations.

In the experimental arrangement shown in Figs. 1 and 3, the OEH is configured in the mode with one illumination and three reference beams. In this mode, the higher output beam from the FA is utilized as the object beam (OB) to illuminate the object of interest (OI), and one of the lower output beams is utilized as the reference beam (RB). Object and reference beams are recombined in the interferometer (IT), and the resultant detected irradiances are transmitted to an image-processing computer (IP) through the use of a CCD camera providing video frames with a resolution of 512×480 pixels and digitized to 8 bits. The two additional lower output beams are utilized for monitoring the optical characteristics of the LD. Specifically, one of the lower output beams is utilized as input to the optical wavelength meter (WM), providing absolute wavelength measurements with a resolution of 0.0001 nm, and the additional lower output beam is utilized for monitoring the optical power of the LD. In this experimental configuration, the ceramic piezoelectric cylinder PZT₁ (Fig. 2) is controlled by the IP and used for application of phase-stepping algorithms. In addition, the ceramic piezoelectric cylinder contained in the RB can be utilized for quantitative analysis of time-average...
interferograms in situations requiring characterization of both surface shape and dynamically induced deformations.\textsuperscript{5,6}

In Figs. 1 and 3, the IT, OB, OL, CCD, RB, and required hardware are mounted on a mechanical fixture (interferometric head, IH), which in turn is assembled onto an X-Y translational stage, with each axis having an independent positioning resolution of 0.1 \( \mu \text{m} \).

The OEH setup shown in Figs. 1–3 uses the two-wavelength technique for generation of interferometric depth contours related to the geometry of the object under investigation.

### 2.2 Optical Contouring with the Two-Wavelength Technique

To determine surface shape using the OEH, the two-wavelength optical contouring technique is applied.\textsuperscript{6} The technique is based on the utilization of a coherent and polarized light source with wavelength tuning capabilities. Interferometric depth contours, related to the geometry of the object under investigation, are generated by speckle phase correlation of two sets of phase-stepped speckle intensity patterns, each set acquired at two different wavelengths \( \lambda_1 \) and \( \lambda_2 \).

Phase-stepped speckle intensity patterns are generated by considering the interaction of object and reference beams having complex light fields \( F_o(u,v) \) and \( F_r(u,v) \), with \( (u,v) \) representing the discrete coordinates defining the image plane of the CCD camera. After beamsplitting, and considering the \( n \)'th phase step, the detected irradiance resulting from the combined observed and reference-beam irradiances characterized by the wave number \( 2\pi/\lambda_1 \) is described by

\[
I_n(u,v) = \left[ F_o(u,v) + F_r(u,v) \right] \cdot \left[ F_o(u,v) + F_r(u,v) \right]^* \\
= I_o(u,v) + I_r(u,v) \cos[\Delta \phi(u,v) + \theta_n], \tag{1}
\]

where

\[
I_o(u,v) = I_{o}(u,v) + I_{o}(u,v) \tag{2}
\]

is the background irradiance, and

\[
I_r(u,v) = 2 \left[ I_o(u,v) \cdot I_r(u,v) \right]^{1/2} \tag{3}
\]

is the modulation irradiance. In Eqs. (1)–(3), \( I_o(u,v) \) and \( I_r(u,v) \) are the observed and reference beam irradiances, respectively; \( \Delta \phi(u,v) = \phi_o(u,v) - \phi_r(u,v) \), with \( \phi_o(u,v) \) representing a random phase due to light scattering from the object of interest and \( \phi_r(u,v) \) representing a uniform phase from a smooth reference beam; and \( \theta_n \) is the imposed \( n \)'th known phase step appropriately calibrated for the optical wavelength \( \lambda_1 \). Equations (1)–(3) characterize the acquired first set of phase-stepped speckle intensity patterns.

The second set of phase-stepped speckle intensity patterns is acquired after the wavelength of the LD has been modified to \( \lambda_2 \). Therefore, the detected irradiances resulting from the combined observed and reference-beam irradiances characterized by the wave number \( 2\pi/\lambda_2 \) are described by

\[
I_n'(u,v) = I_B(u,v) + I_M(u,v) \times \cos[\Delta \phi(u,v) + \Delta \gamma(u,v) + \theta'_n], \tag{4}
\]

where \( \Delta \gamma(u,v) \) is the spatial optical phase difference resulting from the change in the wave numbers and related to the absolute shape of the object under investigation, and \( \theta'_n \) is the imposed \( n \)'th known phase step appropriately calibrated for the optical wavelength \( \lambda_2 \). With the OEH, the two sets of phase-stepped speckle intensity patterns are processed in the display and data modes.\textsuperscript{2} In the display mode, interference patterns are processed and displayed at video speeds and are modulated by a sinusoidal function of the form

\[
Q_D(u,v) = 4I_M(u,v) \cos[\Delta \gamma(u,v)/2] \\
= \left\{ [I_1(u,v) - I_3(u,v)] + I'_1(u,v) - I'_3(u,v) \right\}^2 \\
+ \left\{ [I_2(u,v) - I_4(u,v)] + I'_2(u,v) - I'_4(u,v) \right\}^2 \right)^{1/2}, \tag{5}
\]

which represents an 8-bit image obtained after applying four phase steps of \( \theta_n = \theta'_n = 0, \pi/2, \pi, \) and \( 3\pi/2 \) to each set of phase-stepped speckle intensity patterns represented by Eqs. (1) and (4). This display mode is used for adjusting, in real time, the contouring parameters for OEH investigations. The data mode is used for performing quantitative investigations.\textsuperscript{2,6} In the data mode, additional images are generated: a 16-bit sinusoidal image,

\[
N(u,v) = 16I_M^2(u,v) \sin[\Delta \gamma(u,v)] \\
= 4 \left\{ [I_1(u,v) - I_3(u,v)][I'_1(u,v) - I'_3(u,v)] \\
- [I_2(u,v) - I_4(u,v)][I'_2(u,v) - I'_4(u,v)] \right\}, \tag{6}
\]

and a 16-bit sinusoidal image.
phase unwrapping is initialized by first removing the pixels of the phase-unwrapping algorithms developed for the applications described in this paper. According to Fig. 4, phase unwrapping is initialized by first removing the pixels in the image plane \((u, v)\) containing low-phase-modulation information. Pixels with low modulation, are identified by evaluating \(I_M(u, v)\) as

\[
I_M(u, v) = (I_3 - I_1) + (I_1' - I_3')^2 + (I_2 - I_1' + I_3' - I_1')^2
- 2[(I_3 - I_1)(I_1' - I_3') + (I_2 - I_4)(I_2' - I_4')],
\]

and by setting a minimum modulation threshold value \(M_T\) so that

\[I_M(u, v) < M_T,\]

in which \(M_T\) is typically selected as a multiple of the standard deviation of the modulation intensity represented by Eq. (9). Pixels with phase information satisfying the criterion set by Eq. (10) are removed from further processing by application of a binary mask to the data images \(N(u, v)\) and \(D(u, v)\). Once low-modulation pixels have been removed, \(\Delta \gamma(u, v)\) modulo \(2\pi\) is evaluated, and, depending on the characteristics of the resulting wrapped phase data image, digital speckle noise reduction algorithms may be applied. The phase-unwrapping algorithm continues by selecting a location in the image plane \((u_0, v_0)\) in which to apply the initial condition \(\Delta \gamma(u_0, v_0) = \Delta \gamma_0\), around which an unwrapping propagation wavefront based on a first-input, first-output (FIFO) queue develops. At the end of the FIFO queue, phase restoration is applied in order to recover phase information at locations in the image plane \((u, v)\) where low-modulation pixels were initially removed. The result is a continuous spatial phase distribution \(\Delta \gamma(u, v)\) related to the absolute shape of the object under investigation.

Determination of the actual absolute shape is performed by mapping the continuous spatial phase distribution data into a domain defined by physical variables of interest. This is accomplished by observing that the optical phase change \(\Delta \gamma\) due to a change in wave numbers from \(2\pi/\lambda_1\) to \(2\pi/\lambda_2\) can be expressed as

\[
\Delta \gamma = \frac{2\pi}{\lambda_2} \text{OPL} - \frac{2\pi}{\lambda_1} \text{OPL} = \frac{2\pi}{\Lambda} \text{OPL},
\]

where \(\Lambda\) is the equivalent wavelength given as

\[
\Lambda = \frac{\lambda_1\lambda_2}{\lambda_2 - \lambda_1},
\]

and OPL is the optical path length defined as the distance from the point of illumination, \((x_1, y_1, z_1)\), to a point on the object of interest, \((x_p, y_p, z_p)\), to the point of observation, \((x_2, y_2, z_2)\). Geometrically, Eq. (11) represents phase contours, which are the result of the intersection of constant optical phase surfaces of revolution with the surface of the object under investigation.

By considering Fig. 5, Eq. (11) can be expressed as

\[
\Delta \gamma = \frac{2\pi}{\Lambda} \left\{ [(x_p - x_1)^2 + (y_p - y_1)^2]^{1/2} + |z_2 - z_p| \right\},
\]

provided that the magnification factors \(M_u\) and \(M_v\), which allow the transformation \((M_u u, M_v v) \rightarrow (x_p, y_p)\), are known and a telecentric lens system is used.

Since the image plane \((u, v)\) is parallel to the reference coordinate system \((x, y)\) (Fig. 5) and the magnification factors \(M_u\) and \(M_v\) can be measured directly using the X-Y translational stage, the only unknown degree of freedom is the surface height represented by the coordinate component \(z_p\), which can be evaluated from Eq. (13) to be
2.3 Camera Calibration Methods

Speckle intensity patterns are acquired with an imaging system containing an array of lenses, which form and project the image of a scene of interest onto the image plane \((u,v)\) located at the CCD of the CCD camera. Therefore, characterization of the properties of the imaging system is necessary in order to quantitatively determine imaging parameters of interest, which facilitate accurate determination of surface shape information from both the continuous spatial phase distribution \(\Delta \gamma\) and the illumination-observation geometry characterizing the experimental conditions. Quantitative characterization of the properties of the imaging system is obtained by application of camera calibration methods.6

Characterization of the imaging system is accomplished by considering the projection of point \(P\) located at the surface of interest, with coordinates \(P = (x,y,z)^T\), onto the point \(m\) located on the image plane, with pixel coordinates \(m = (u,v)^T\), as the transformation

\[
\begin{pmatrix}
    U \\
    V \\
    S
\end{pmatrix}
= \begin{pmatrix}
    q_{11} & q_{12} & q_{13} & q_{14} \\
    q_{21} & q_{22} & q_{23} & q_{24} \\
    q_{31} & q_{32} & q_{33} & q_{34}
\end{pmatrix}
\begin{pmatrix}
    x \\
    y \\
    z \\
    1
\end{pmatrix},
\]

\[
= \begin{pmatrix} q_{1}^T \\
q_{2}^T \\
q_{3}^T
\end{pmatrix}
\begin{pmatrix}
    P_1 \\
    P_2 \\
    P_3
\end{pmatrix}
= Q
\begin{pmatrix}
    P_1 \\
    P_2 \\
    P_3
\end{pmatrix},
\]  

in which

\[
u = \frac{U}{S}, \quad v = \frac{V}{S},
\]

are defined by a scalar factor \(S\), for \(S \neq 0\), and \(Q\) is the projection perspective matrix.2,6,7 By application of camera calibration methods, the matrix \(Q\), specifying the transformation from the 3-D space to the 2-D image plane, is determined, and the engineering metrics characterizing the imaging system are extracted from \(Q\).

Determination of the projection perspective matrix \(Q\) is performed by selecting at least 12 \(i\)’th points of known coordinates \((x_i,y_i,z_i)\) in a selected 3-D space and, by application of image-processing techniques, identifying their corresponding coordinates \((u_i,v_i)\) in the image plane of the OEH’s imaging system. Figure 6 depicts a perspective view of the solid block used for calibration of the OEH’s imaging system. The block contains 27 marks of known \((x_i,y_i,z_i)\) coordinates.

With a known set of \((x_i,y_i,z_i)\) coordinates and their corresponding points \((u_i,v_i)\), application of Eqs. (15) and (16) yields

}\]
3 Applications

In this section, the OEH system and analysis algorithms, described in this paper, are utilized as reverse engineering tools with the purpose of facilitating the definition of a CAD model from an existing component, for use in CAE and/or computer-aided manufacturing (CAM) applications. Figure 7 depicts two samples of the component of interest: a paraboloid of revolution. The model is a turned 229.0-mm-aluminum piece, specified by three different geometrical sections (as measured with conventional contact techniques): the cylindrical base with diameter 76.12±0.040 mm and height 47.49±0.060 mm, and a top parabolic section of specific geometrical characteristics to be determined. It is this parabolic section that is measured using the OEH method.

3.1 Experiment Planning: Parameters and Conditions

Determining the appropriate parameters and conditions before performing a specific shape characterization experiment requires the selection of a feasible measuring resolution and accuracy. The resolution in the measurements is a function of the number of pixels in the CCD camera, as well as of the magnification factors, $M_u$ and $M_v$, of the imaging system, whereas accuracy in the measurements is a function that depends on:

1. the accuracy to which the continuous spatial phase distribution $\Delta \gamma(u,v)$ is determined, which in turn depends on
   a. the accuracy in the image acquisition process, for which low noise in the CCD camera and relating signal conversion and processing boards are required
   b. the appropriately calibrated phase-stepping algorithm for generation of speckle correlation interferograms and data images
   c. the effective processing of $\Delta \gamma(u,v)$ modulo $2\pi$
2. the magnitude of the equivalent wavelength $\Lambda$ and its accurate characterization
3. the accurate calibration of the imaging system, which provides imaging metrics that are useful in determining the points of illumination $(x_1,y_1,z_1)$ and observation $(x_2,y_2,z_2)$.

\[ \left( \begin{array}{c} x \\ y \\ z \end{array} \right) = \left( \begin{array}{c} x_2 \\ y_2 \\ z_2 \end{array} \right) = -\left( \begin{array}{ccc} q_{11}^{T} & \cdots & q_{14}^{T} \\ \vdots & \ddots & \vdots \\ q_{31}^{T} & \cdots & q_{34}^{T} \end{array} \right)^{-1} \left( \begin{array}{c} q_{15} \\ \vdots \\ q_{34} \end{array} \right), \]

which can be applied to Eq. (14) for surface shape measurement.
Experimental setup:

The experimental conditions defining the geometry of the system, which indicates that the contour depth is a function of the experimental parameters and conditions are determined by minimizing the uncertainty in the contour depth \( \delta h \), which is related to the accuracy in the measurements. \( \delta h \) is evaluated by considering the contour depth \( h \), obtained from Eq. (14) as the distance corresponding to two consecutive phase contours (Fig. 5) as

\[
h = z_{p2} - z_{p1} = h(\Delta \gamma, \Delta \lambda, x_1, y_1, z_1, x_P, y_P, z_2),
\]

which indicates that the contour depth is a function of the experimental conditions defining the geometry of the experimental setup: \( x_1, y_1, z_1, x_P, y_P, z_2 \), as well as of the experimental parameters \( \Delta \gamma \) and \( \Delta \lambda \). Therefore, \( \delta h \) can be evaluated as

\[
\delta h = \left[ \left( \frac{\partial h}{\partial (\Delta \gamma)} \right)^2 \right] \left( \frac{\delta (\Delta \gamma)}{\delta (\Delta \gamma)} \right)^2 + \left[ \frac{\partial h}{\partial \Delta \lambda} \right]^2 \left( \frac{\delta \Delta \lambda}{\delta \Delta \lambda} \right)^2 + \left[ \frac{\partial h}{\partial x_1} \right]^2 \left( \frac{\delta x_1}{\delta x_1} \right)^2
\]

\[
+ \left[ \frac{\partial h}{\partial y_1} \right]^2 \left( \frac{\delta y_1}{\delta y_1} \right)^2 + \left[ \frac{\partial h}{\partial z_1} \right]^2 \left( \frac{\delta z_1}{\delta z_1} \right)^2 + \left[ \frac{\partial h}{\partial x_P} \right]^2 \left( \frac{\delta x_P}{\delta x_P} \right)^2
\]

\[
+ \left[ \frac{\partial h}{\partial y_P} \right]^2 \left( \frac{\delta y_P}{\delta y_P} \right)^2 + \left[ \frac{\partial h}{\partial z_2} \right]^2 \left( \frac{\delta z_2}{\delta z_2} \right)^2 \right]^{1/2},
\]

in which \( \delta (\Delta \gamma) \), \( \delta x_1 \), \( \delta y_1 \), \( \delta z_1 \), \( \delta x_P \), \( \delta y_P \), \( \delta z_2 \) are the uncertainties in the corresponding variables, and \( \delta \Delta \lambda \) is the uncertainty in the equivalent wavelength \( \Lambda \), given as

\[
\delta \Lambda = \left[ \left( \frac{\partial \Lambda}{\partial \lambda_1} \right)^2 + \left( \frac{\partial \Lambda}{\partial \lambda_2} \right)^2 \right]^{1/2}.
\]

### 3.2 Representative Measurements

Figure 3 depicts the experimental arrangement with the object of interest mounted on a 1/60-deg resolution rotational stage and positioned at 940 ± 3-mm camera range. A full rotational section of the sample is measured at a constant \( y \) position of the \( X-Y \) translational stages using six 60-deg rotational stage increments. Figures 8–10 show typical results obtained after measuring a full rotational section of 113.35 mm in height. Figure 8 depicts one of the six interferograms and the corresponding analysis results, illustrating a 2-D representation of the measurements containing 106,269 pixels with shape information at a resolution of 0.1975 mm/pixel and a contour depth uncertainty, related to the accuracy in the measurements, near 10 \( \mu m \). Figure 9(a) depicts a 3-D wire-frame representation of the shape analysis obtained by sampling Fig. 8(b) every 6 pixels, while Fig. 9(b) shows the measured data points as well as curve-fitting results corresponding to the meridian curve of the paraboloid-of-revolution section. Curve-fitting results indicate that the meridian is defined by a parabolic equation of the form \( y = 0.1097x^2 \), obtained with a confidence interval within the uncertainty in the measurements.

The \((x,y,z)\) data clouds obtained from every 60-deg section can be imported into a CAD environment for further processing and analysis (Fig. 10). The process by which a single geometrical CAD surface is assembled from individual \((x,y,z)\) data clouds is known as tiling. Tiling is a...
current CAD problem that requires further investigations, which could guarantee the generation of an accurate single geometrical CAD surface representation.

4 Conclusions and Recommendations

An OEH system arranged in a one-camera configuration to perform optical contouring using the two-wavelength technique has been presented. Representative measurements shown provide a spatial resolution of 197.5 \( \mu \text{m} \) and an accuracy near 10 \( \mu \text{m} \) at 940±3-mm camera range, which are considered sufficient for reverse-engineering purposes. Resolution can be increased by changing the camera range, using a different lens system, or using a denser CCD array, whereas accuracy can be increased by using smaller contour depths, which requires a wide-range tunable laser. Accuracies of better than 10 \( \mu \text{m} \) can be achieved for wavelengths characterized with an accuracy of 0.0001 nm, an equivalent wavelength \( \Lambda \) of 2 mm, a camera range of 750 mm, an imaging system calibrated to within 5% uncertainty, and \( \Delta y \) determined to within 5% uncertainty. Further developments include the implementation of a fully automatic OEH shape-measuring system, which may require the incorporation of a more suitable tunable light source and an image-processing system with better capabilities than the ones utilized in the present investigations. In addition, further investigations pertaining to surface tiling of different range views are required in order to obtain an accurately defined CAD model.

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References


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Ryszard J. Pryputniewicz: Biography appears with the paper “New test methodology for static and dynamic shape measurements of microelectromechanical systems,” in this issue.